

# Slackness Regimes in Frictional Labor and Goods Markets

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Schumpeterseminar, Humboldt-Universität zu Berlin, 2.12.2019

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Joint work with:

- **Nicolas Petrosky-Nadeau**, Federal Reserve Board of San Francisco

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- **Nicolas Petrosky-Nadeau**, Federal Reserve Board of San Francisco
- **Etienne Wasmer**, New York University Abu Dhabi and CEPR

# Outline

1. Introduction
2. Exogenous price and wage
3. Nash bargaining over price and wage
4. Calibrating to US data
5. Market power and markups (preliminary)
6. Conclusion

# 1. Introduction

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  - Instead, focus on frictions, reservation wage, training.
- However, role of aggregate demand lost in the process.

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- Keep the M-P insights on frictional unemployment but reinject aggregate demand effects into the model by introducing goods market frictions
- Resuscitate the old Benassy/Barro-Grossman disequilibrium literature on slackness regime in labor and goods markets.

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- How does slackness in the labor and goods market interact in the determination of unemployment?
- In which direction do wages and prices need to move to bring the competitive allocation closer to the constrained social optimum?

- Petrosky-Nadeau, Wasmer and Weil (2018), drawing on Petrosky-Nadeau and Wasmer (2015) and Wasmer-Weil (2004)



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- Hosios (1990), Moen (1997), Julian and Mangin (2018)

## 2. Exogenous price and wage

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- Free entry of firms and consumers search effort

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- In both markets, **tightness means high tension**, and **slackness means low tension**.

## Goods market

- Under free entry of consumers, the expected pdv of the flow costs  $\sigma$  of procuring an extra unit of the consumption good must equal the expected pdv of the excess of *constant* marginal utility  $\Phi$  over the price  $\mathcal{P}$  of the good:

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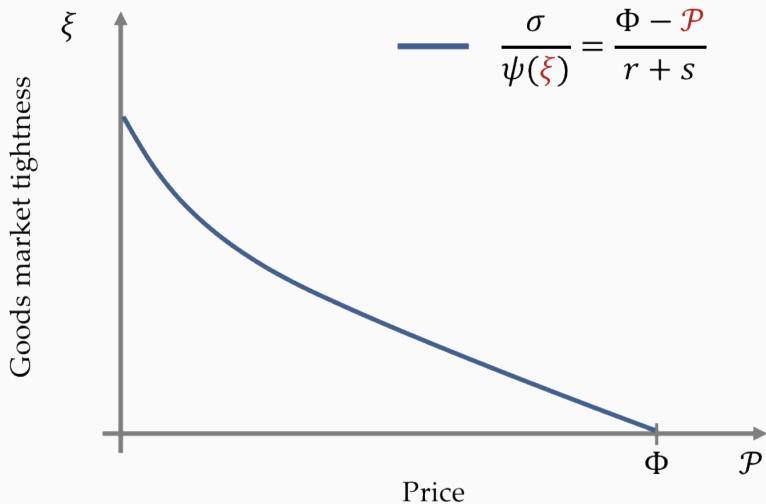
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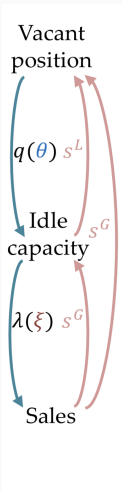
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- This zero-profit condition implies a *negative* relationship between  $\xi$  and  $\mathcal{P}$ : to maintain zero profit, goods must be cheaper when harder to find.

## Consumer free entry condition





**Figure 1:** Searching for a worker before securing a buyer

- Under free entry of firms, the expected pdv of the search costs  $\gamma$  of finding a worker must equal the expected pdv of revenue  $\pi$  net of wages  $\omega$  generated after meeting a worker (until exogenous separation):

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$$\pi = \mu(\xi)\mathcal{P}, \quad (5)$$

where  $\mu(\xi) = \lambda(\xi)/[r + s + \lambda(\xi)] \in (0, 1)$  and with  $\lambda(\xi) \equiv \xi\psi(\xi)$  denoting the probability of finding a buyer ( $\lambda'(\cdot) > 0$ ).

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  - $\mu(\infty) = 1$ : a buyer is found immediately

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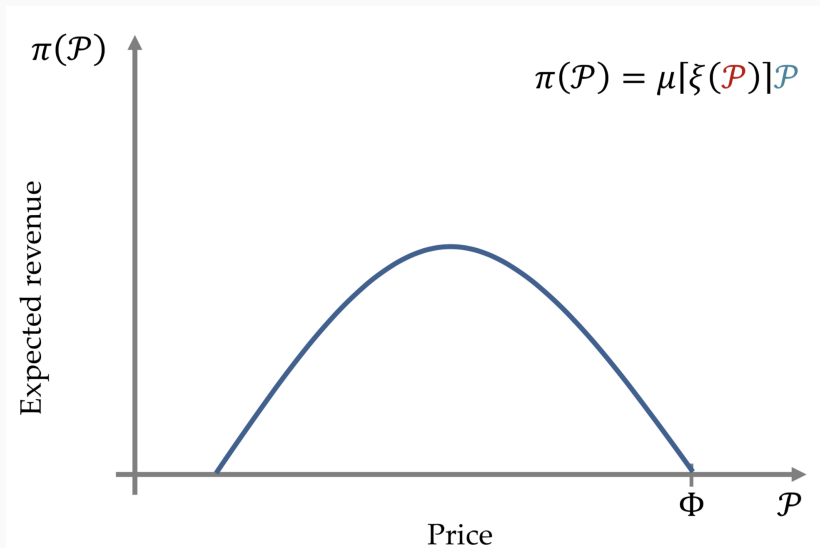
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- ... but it raises revenue per unit sold (positive price effect).
- When the price is zero, there are lots of consumers but revenue is zero. When the price equals  $\phi$ , there are no buyers and revenue is also zero  $\implies$  **hump-shaped revenue function!**

## A Laffer curve for the firm's revenue





## Labor market iso-tension loci in $(\mathcal{P}, \omega)$

- We have already combined the consumer's free entry condition in the goods market with the computation of the firm's annuity value of revenues to get

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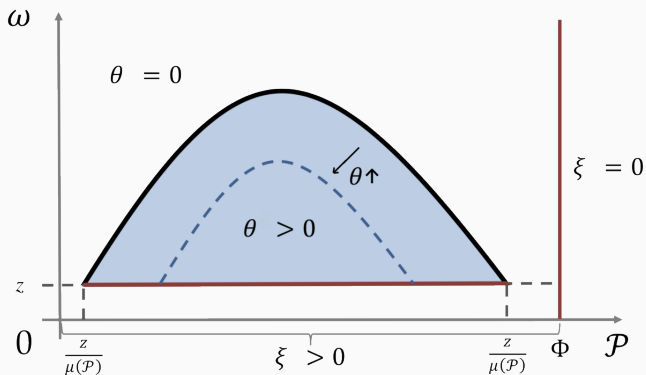
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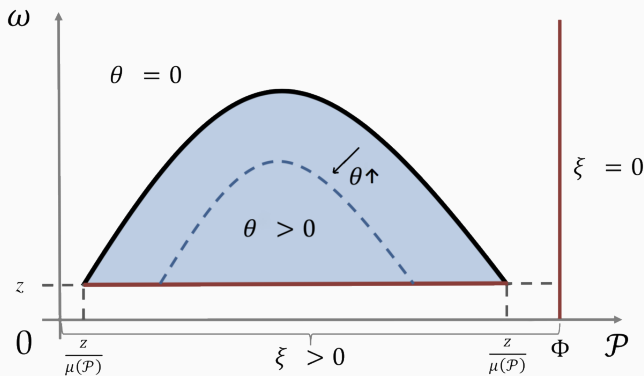
- This defines in  $(\mathcal{P}, \omega)$  space, for each  $\theta$ , **labor market iso-tension loci** which inherit their hump shape from that of the revenue function.

## Labor market iso-tension loci in $(\mathcal{P}, \omega)$ space



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- For each point in the shaded region, we read  $\theta$  from the position of iso-tension locus through that point.

## Taking stock of results so far

- The zero-profit condition on the goods market provides the **first equation** of the model (negative relationship between  $\xi$  and  $\mathcal{P}$ ):

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- That's all there is to it!



## Constrained social optimum

- The planner maximizes the expected pdv of output and leisure net of search costs, subject the matching frictions in the labor and goods market.

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- **Two-part social optimum:** maximize the size of the pie  $(\xi^{opt})$  then split it optimally between firms and workers  $(\theta^{opt})$ .



## The constrained optimum and competitive allocations

The set of competitive allocations and the wage and price that decentralize the constrained social optimum can be represented in  $(\mathcal{P}, \omega)$  space:

- Goods market tension is optimal when  $\xi = \xi^{opt}$ , and this happens when  $\mathcal{P} = \mathcal{P}^{opt}$  — a vertical line in  $(\mathcal{P}, \omega)$  space.

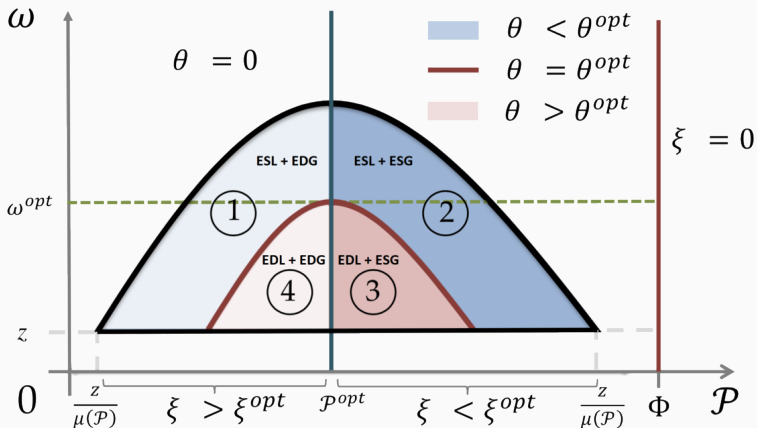
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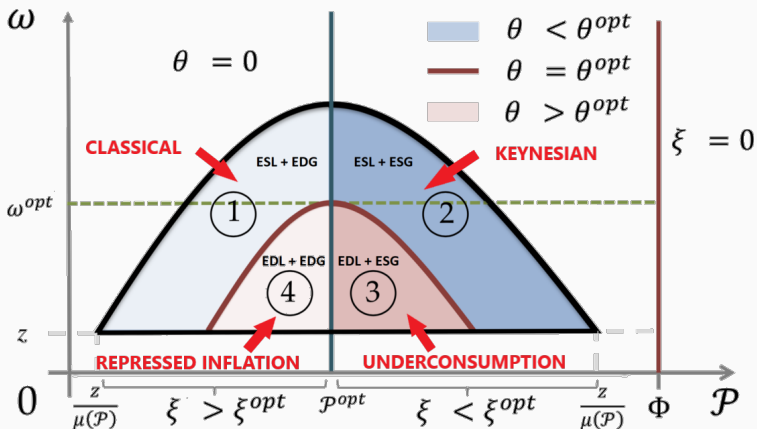
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- Labor market tension is optimal when  $\theta = \theta^{opt}$ , and this occurs along the labor market iso-tension locus corresponding to  $\theta^{opt}$ :

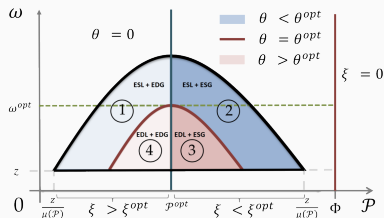
$$\frac{\gamma}{q(\theta^{opt})} = \frac{\mu[\xi(\mathcal{P})]\mathcal{P} - \omega}{r + s}. \quad (11)$$

# Four slackness regimes



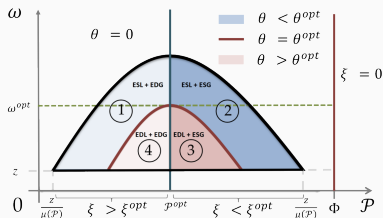


# Four regimes: how to reach the planner's optimum



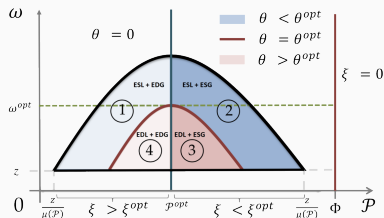
- In all four regimes, moving the price towards its optimal value is required to get closer to the social optimum.

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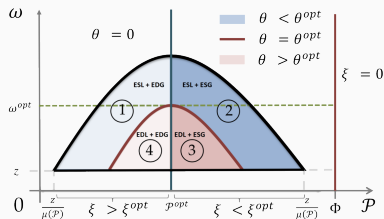
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- This always raises the firm's revenue (we are moving in the direction of top of the Laffer curve) and encourages entry of firms in the labor market.
- This always raises, ceteris paribus, the tension in the labor market  $\theta$ — as any horizontal movement towards  $P^{opt}$  is a shift to a lower iso-tension locus, i.e. a higher  $\theta$ .

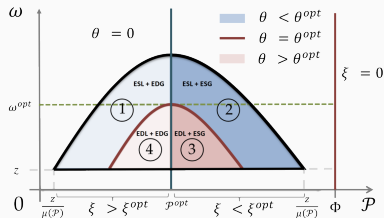
# EDL: how to reach the planner's optimum



- In regions 3 and 4 (with EDL), convergence of  $\mathcal{P}$  towards its optimum **exacerbates already excessive labor market tension.**

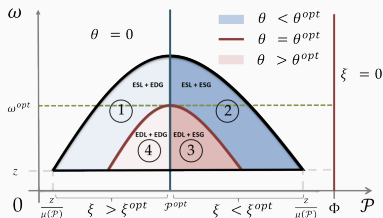


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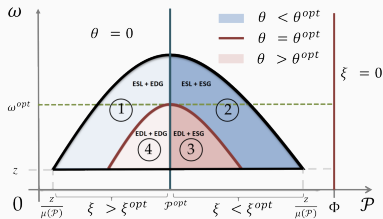
- In regions 3 and 4 (with EDL), convergence of  $\mathcal{P}$  towards its optimum **exacerbates already excessive labor market tension**.
- It must therefore be accompanied by an offsetting **increase in the wage** to discourage firms from entering the labor market.

# ESL: how to reach the planner's optimum



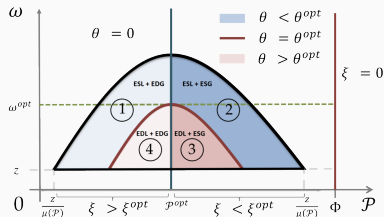
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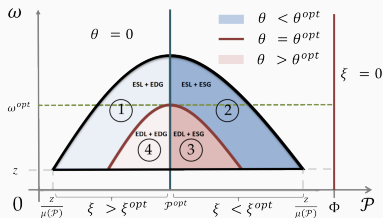
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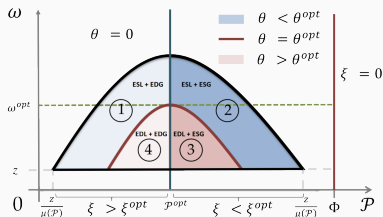
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- In the top part of the regions 1 and 2 (above the  $\omega = \omega^{opt}$  line) it helps too little, and it must be accompanied by a **fall** in the wage!
- In the bottom part, it helps too much, and it must be accompanied by a **rise** in the wage!

# Take home message



- Curing classical or Keynesian unemployment (regions 1 and 2 with excess supply of labor relative to the constrained social planner optimum) sometimes requires **raising** the wage rate.

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- If goods market tension is optimal (and the price is  $\mathcal{P}^{opt}$ ), resorbing ESL requires lowering the wage.

### **3. Nash bargaining over price and wage**

---

- No strategic sequential bargaining; independent bilateral bargaining



# Simplifications

- No strategic sequential bargaining; independent bilateral bargaining
- Same wage paid by firms searching or matched in the goods market

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  - increasing in the tightness of the goods market  $\xi$  and the consumer's search cost  $\sigma$  which strengthen the outside option of the seller relative to the buyer.

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## Four slackness regimes in $(\alpha_G, \alpha_L)$ space

- We can represent all competitive allocations under Nash-bargaining in  $(\alpha_G, \alpha_L)$  space, along with bargaining shares that implement the social planner's constrained optimum.

## Four slackness regimes in $(\alpha_G, \alpha_L)$ space

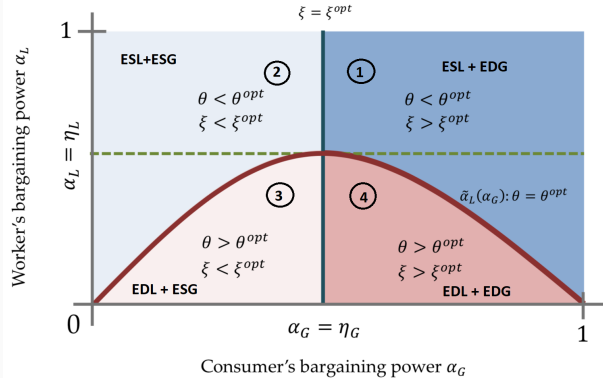
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- Beware: the next graph is flipped horizontally compared to the four regimes in  $(\mathcal{P}, \omega)$  space because a high  $\alpha_G$  *lowers* the negotiated price  $\mathcal{P}$ .



# Four slackness regimes in $(\alpha_G, \alpha_L)$ space

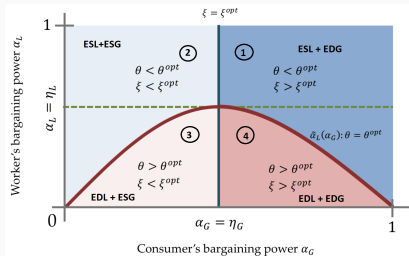


## Theorem (Hosios conditions in goods and labor market)

The decentralized allocation with search and bargaining is constrained efficient if  $\alpha_L = \eta_L$  **and**  $\alpha_G = \eta_G$ , with

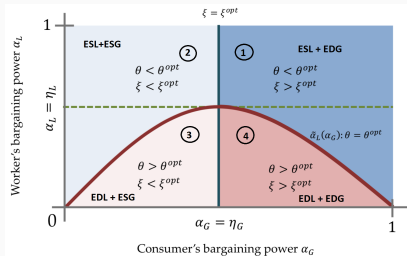
- $\xi = \xi^{opt}$  **if and only if**  $\alpha_G = \eta_G$
- $\theta = \theta^{opt}$  **if**  $\alpha_L = \eta_L$  **and**  $\alpha_G = \eta_G$ .

# Four regimes: how to reach the planner's optimum



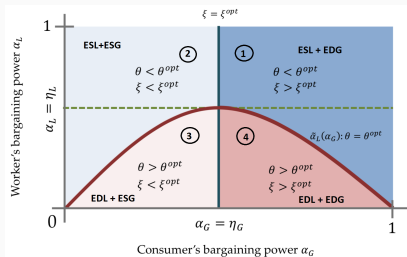
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# Four regimes: how to reach the planner's optimum



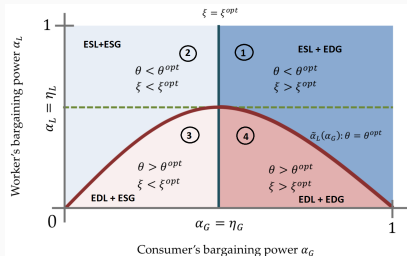
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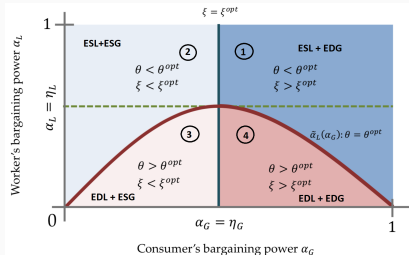
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- This always raises the firm's revenue towards the top of the Laffer curve, leading more firms to enter into the labor market.
- This always raises, ceteris paribus, labor market tension  $\theta$  as any horizontal movement  $\xi$  towards  $\eta_G$  transports to a lower iso-tension locus, i.e. yields a higher  $\theta$ .

# Four regimes: how to reach the planner's optimum



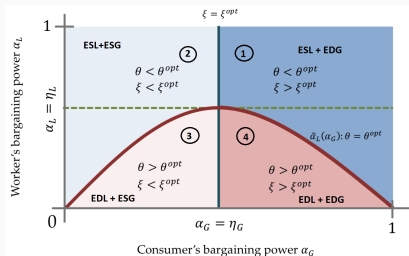
- In regions 3 and 4 (with EDL), convergence of  $\alpha_G$  towards its optimum  $\eta_G$  **exacerbates already excessive labor market tension** by raising revenue.

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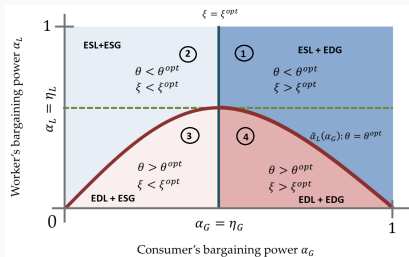
- In regions 3 and 4 (with EDL), convergence of  $\alpha_G$  towards its optimum  $\eta_G$  **exacerbates already excessive labor market tension** by raising revenue.
- It must therefore be accompanied by a countervailing **rise in the bargaining power of workers**  $\alpha_L$  to discourage firms from entering the labor market.

# Four regimes: how to reach the planner's optimum



- In regions 1 and 2 (with ESL), the tightening of the labor market stemming from moving  $\alpha_G$  towards its optimum  $\eta_G$  helps resorb excess labor market slackness, but in general it helps too little or too much.

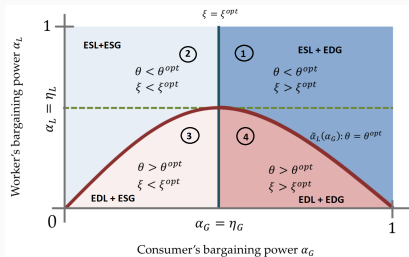
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# Four regimes: how to reach the $\xi$ planner's optimum



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- In the bottom part of regions 1 and 2, it helps too much, and it must be accompanied by a **rise** in  $\alpha_L$ !

## **4. Calibrating to US data**

---

- Do consumers have too much or too little bargaining power?

Central questions of capitalism!

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# Parameter values and calibration targets (short version)

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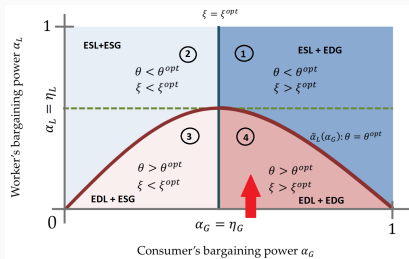
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- Market power  $\alpha_G$ : target a price markup  $P/w$  equal to 20%

# Parameter values and calibration targets (long version)

	Parameter		Target or reference:	
Time discount rate	$r$	$e^{(2.5/1200)} - 1$	3-month Treasury bill	
<b>Labor market:</b>				
Worker bargaining weight	$\alpha_L$	0.34	Unemployment rate	$\mathcal{U} = 0.05$
Elasticity of matching function	$\eta_L$	0.50	Petrongolo and Pissarides [2001]	
Level of matching function	$\chi_L$	0.68	Job vacancy rate	$\mathcal{V} = 0.04$
Job-separation rate	$s^L$	0.032	JOLTS	
Vacancy cost	$\gamma$	0.87	Product entry rate	$\psi = 0.015$
Non-employment value	$z$	0.37	Mulligan [2012]	$\frac{z}{w} = 0.50$
<b>Goods market:</b>				
Consumer bargaining weight	$\alpha_G$	0.33	Price markup over wage	$\frac{\mathcal{P}}{w} = 1.25$
Elasticity of matching function	$\eta_G$	0.14	Price elasticity of demand	$\frac{d\mathcal{Q}_M}{d\mathcal{P}} \frac{\mathcal{P}}{\mathcal{Q}_M} = -2$
Level of matching function	$\chi_G$	0.13	Rate of capacity utilization	$\frac{\lambda}{\lambda + s} = 0.85$
Goods exit rate	$s^G$	0.001	Product exit rate	
Cost of search	$\sigma$	0.03	American Time Use Survey	$\frac{\sigma D_U}{w \cdot \mathcal{N}} = 0.05$
Marginal utility of search good	$\Phi$	1	Normalization	

# In which regime does the US economy lie?



- $\alpha_G = 0.33 > \eta_G = 0.14$ : **consumers have too much bargaining power**
- $\alpha_L = 0.34 < \eta_L = 0.50$ : **workers have too little bargaining power**
- Repressed inflation?!

## **5. Market power and markups (preliminary)**

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- 2018 Jackson Hole symposium on “Changing Market Structures and Implications for Monetary Policy” discusses the policy implications of increasing firm power in price and wage setting.

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- At the same time, increasing evidence of flattening of the wage Phillips curve (Katz and Krueger, 1999; Leduc and Wilson (2017); Gali and Gambetti, 2018)
- This setup provides a way to put these two evolutions together



- Decline in unions (Schanbel, 2013)

## Increased firm power in labor markets

- Decline in unions (Schanbel, 2013)
- Rise in large employers (Azar et al., 2017, Benmelech et al., 2018), limits to workers' bargaining power such as non-compete clauses or binding arbitration (Krueger and Posner, 2018, Starr et al., 2019).

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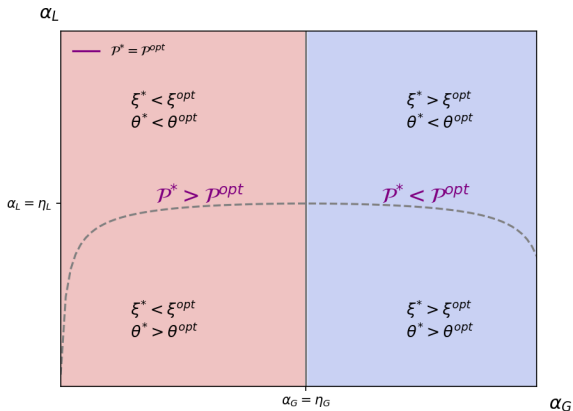
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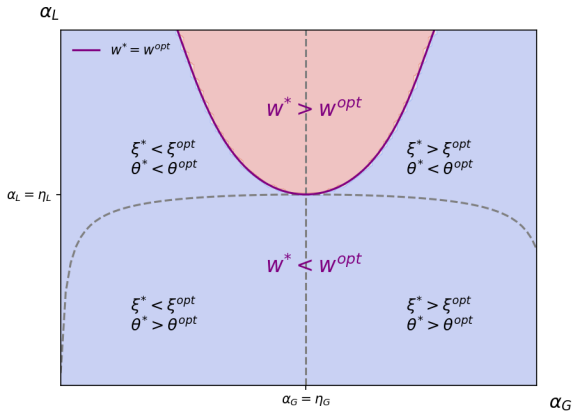
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- Strictly speaking, however, markups are reflect firm market power in either the labor or the product market.

# Market power and price



$$P = (1 - \alpha_G) (\Phi + \xi\sigma)$$

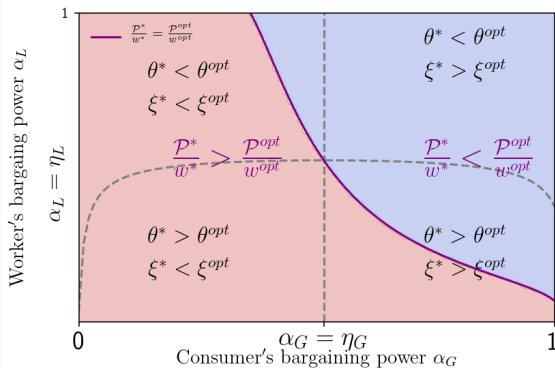
# Market power and wage



$$\omega = \alpha_L \underbrace{[\mu(\xi)\mathcal{P} + \gamma\theta]}_{\pi}$$



# Market power and markup



$$\frac{P}{w} = \frac{(1 - \alpha_G)(\Phi + \xi\sigma)}{\alpha_L[\mu(\xi)P + \gamma\theta]}$$

## **6. Conclusion**

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## Two pleas

- Take goods market frictions seriously, as well as their spillover onto the labor market!

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- Pull Benassy and Barro-Grossman disequilibrium economics out of the mothballs: matching functions are the stochastic rationing mechanism that the disequilibrium economics literature would have needed to avoid death by dint of ad-hoc rationing mechanisms.

## Agenda for future research

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## A final word

Thanks!